# QUANTITATIVE APTITUDE

MIXTURE/ALLIGATION

PROF: RAVINDRA P. MANGRULKAR APTITUDE TRAINER PIBM PUNE

# INTRODUCTION

- RULE OF ALLIGATION:
- IF THE GRADIENTS ARE MIXED IN A RATIO, THEN



• IN WHAT PROPORTION MUST RICE AT Rs. 3.10 / KG BE MIXED WITH RICE AT Rs. 3.60 / KG SO THAT MIXTURE BE WORTH Rs. 3.25 / KG?



• IN WHAT PROPORTION MUST TEA AT Rs. 62 / KG BE MIXED WITH RICE AT Rs. 72 / KG SO THAT MIXTURE BE WORTH Rs. 64.50 / KG?



• IN WHAT PROPORTION MUST TEA AT Rs. 60 / KG BE MIXED WITH TEA AT Rs. 65 / KG SO THAT BY SELLING THE MIXTURE AT Rs. 68.20 / KG, HE MAY GAIN 10%?



• Tea worth Rs. 126 per kg and Rs. 135 per kg are mixed with a third variety of tea in the ratio 1 : 1 : 2. If the mixture is worth Rs. 153 per kg, what is the price of the third variety per kg ?



• The cost of Type 1 material is Rs. 15 per kg and Type 2 material is Rs.20 per kg. If both Type 1 and Type 2 are mixed in the ratio of 2 : 3, then what is the price per kg of the mixed variety of material?



 A milk vendor has 2 cans of milk. The first contains 25% water and the rest milk. The second contains 50% water. How much milk should he mix from each of the containers so as to get 12 litres of milk such that the ratio of water to milk is 3 : 5?



 How many litres of water must be added to 16 liters of milk and water contains 10% water to make it 20% water in it?



SOLUTION = (M - D) : (C - M)= 10 : 80 = 1 : 8 = X / 16QUANTITY OF WATER X = 2 LITRES

- A container contains 40 litres of milk. From this container 4 litres of milk was taken out and replaced by water. This process was repeated further two times. How much milk is now contained by the container?
- Assume that a container contains x of liquid from which y units are taken out and replaced by water. After n operations, the quantity of pure liquid

$$= x(1-y/x)^n$$

Hence milk now contained by the container

$$=40(1-4/40)^{3}$$

- $=40(1-1/10)^{3}$
- =40×(9/10)×(9/10)×(9/10)
- =(4×9×9×9)/100

- 8 litres are drawn from a cask full of wine and is then filled with water. This operation is performed three more times. The ratio of the quantity of wine now left in cask to that of the water is 16 : 65. How much wine did the cask originally hold?
- Let initial quantity of wine = x litre After a total of 4 operations, quantity of wine =  $x(1-y/x)^n$ =  $x(1-8/x)^4$ 
  - Given that after a total of 4 operations, the ratio of the quantity of wine left in cask to that of water = 16:65

Hence we can write as  $x(1-8/x)^4 / x = 16/81$ 

 $\Rightarrow (1-8/x)^{4} = (2/3)^{4}$  $\Rightarrow (1-8x) = 2/3$  $\Rightarrow (x-8x) = 2/3$  $\Rightarrow 3x - 24 = 2x$  $\Rightarrow x = 24$ 

- 3 litre of water is added to 11 litre of a solution containing 42% of alcohol in the water. The percentage of alcohol in the new mixture is
- We have a 11 litre solution containing 42% of alcohol in the water
  - => Quantity of alcohol in the solution= (11×42)/100
    Now 3 litre of water is added to the solution
    => Total Quantity of the new solution = 11+3=14
    Percentage of alcohol in the new
    solution=[{(11×42)/100}/14]×100
    (11×2)/100
  - $=(11\times3)/100$

# THANK YOU